

Architecture of ML Systems

08 Data Access Methods

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Announcements/Org

■ #1 Video Recording

- Link in **TeachCenter** & **TUbe** (lectures will be public)
- <https://tugraz.webex.com/meet/m.boehm>
- Corona traffic light **RED** → May 17: **ORANGE** (but tests required)



■ #2 Programming Projects / Exercises (36/57)

- **Apache SystemDS**: 24 projects / 37 students
- **DAPHNE**: 2 projects / 2 students
- **Exercises**: 10 projects / 18 students → TeachCenter
- Kickoff meetings completed
- **Deadline: June 30** (soft)



Categories of Execution Strategies

Batch
SIMD/SPMD

**05_a Data-Parallel
Execution**
[Apr 16]

Batch/Mini-batch,
Independent Tasks
MIMD

**05_b Task-Parallel
Execution**
[Apr 16]

Mini-batch

06 Parameter Servers
(data, model)
[Apr 23]

07 Hybrid Execution and HW Accelerators [Apr 30]

08 Caching, Partitioning, Indexing, and Compression [May 07]

Agenda

- Motivation, Background, and Overview
- Caching, Partitioning, and Indexing
- Lossy and Lossless Compression



Iterative, I/O-bound ML algorithms → **Data access crucial for performance**



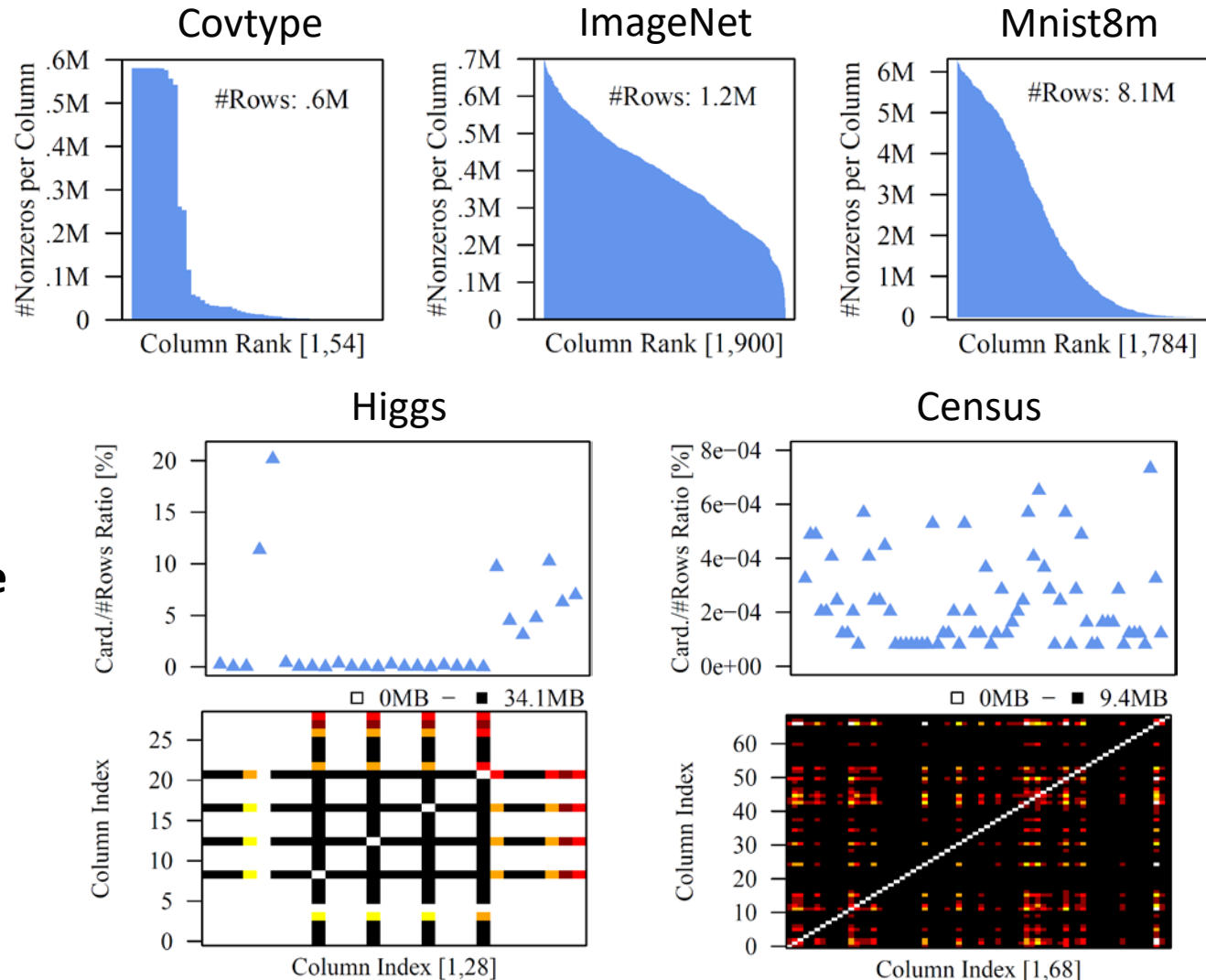
```
while(!converged) {
    ... q = X %*% v ...
}
```

Data **Weights**

Motivation, Background, and Overview

Motivation: Data Characteristics

- **Tall and Skinny**
(#rows >> #cols)
- **Non-Uniform Sparsity**
- **Small Column Cardinalities**
- **Small Val Range**
- **Column Correlations**
(on census:
12.8x → 35.7x)



Recap: Matrix Formats

Matrix Block (m x n)

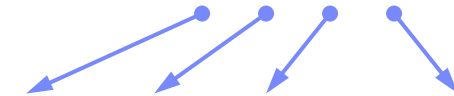
- A.k.a. tiles/chunks, most operations defined here
- Local matrix: single block, different representations

Common Block Representations

- Dense (linearized arrays)
- MCSR (modified CSR)
- CSR (compressed sparse rows), CSC
- COO (Coordinate matrix)

Example
3x3 Matrix

.7		.1
.2	.4	
	.3	

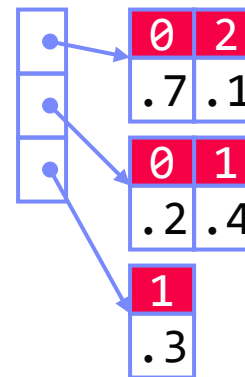


Dense (row-major)

.7	0	.1	.2	.4	0	0	.3	0
----	---	----	----	----	---	---	----	---

$O(mn)$

MCSR



$O(m + nnz(X))$

CSR

0	0	.7
2	2	.1
4	0	.2
5	1	.4
	1	.3

COO

0	0	.7
0	2	.1
1	0	.2
1	1	.4
2	1	.3

$O(nnz(X))$

Recap: Distributed Matrix Representations

Collection of “Matrix Blocks” (and keys)

- **Bag semantics** (duplicates, unordered)
- Logical (Fixed-Size) Blocking
+ **join processing / independence**
- **(sparsity skew)**
- E.g., SystemDS on Spark:
`JavaPairRDD<MatrixIndexes, MatrixBlock>`
- Blocks encoded independently (dense/sparse)

Logical Blocking
3,400x2,700 Matrix
(w/ $B_c=1,000$)

(1,1)	(1,2)	(1,3)
(2,1)	(2,2)	(2,3)
(3,1)	(3,2)	(3,3)
(4,1)	(4,2)	(4,3)

Partitioning

- Logical Partitioning
(e.g., row-/column-wise)
- Physical Partitioning
(e.g., hash / grid)

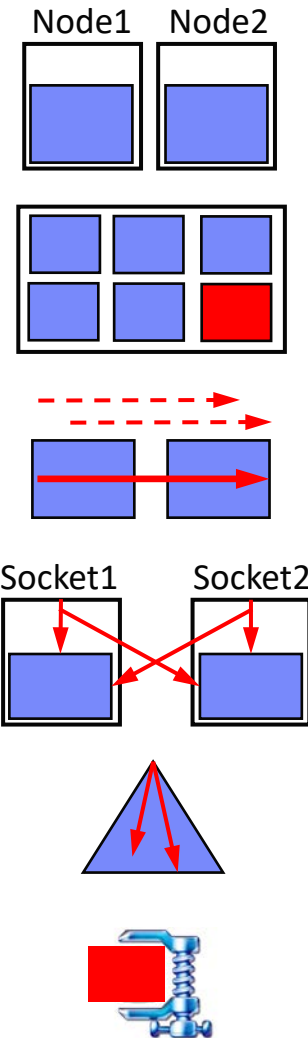
Physical
Blocking and
Partitioning

hash partitioned: e.g., $\text{hash}(3,2) \rightarrow 99,994 \% 2 = 0$

(3,2)	(2,3)	(2,1)	(1,2)	(4,2)	(4,1)
D	S	S	D	S	US
partition 0					
(2,2)	(1,1)	(1,3)	(3,3)	(3,1)	(4,3)
D	US	US	S	S	US
partition 1					

Overview Data Access Methods

- **#1 (Distributed) Caching**
 - Keep read only feature matrix in (distributed) memory
- **#2 Buffer Pool Management**
 - Graceful eviction of intermediates, out-of-core ops
- **#3 Scan Sharing (and operator fusion)**
 - Reduce the number of scans as well as read/writes
- **#4 NUMA-Aware Partitioning and Replication**
 - Matrix partitioning / replication → data locality
- **#5 Index Structures**
 - Out-of-core data, I/O-aware ops, updates
- **#6 Compression**
 - Fit larger datasets into available memory



Caching, Partitioning, and Indexing

#2 Buffer Pool Management

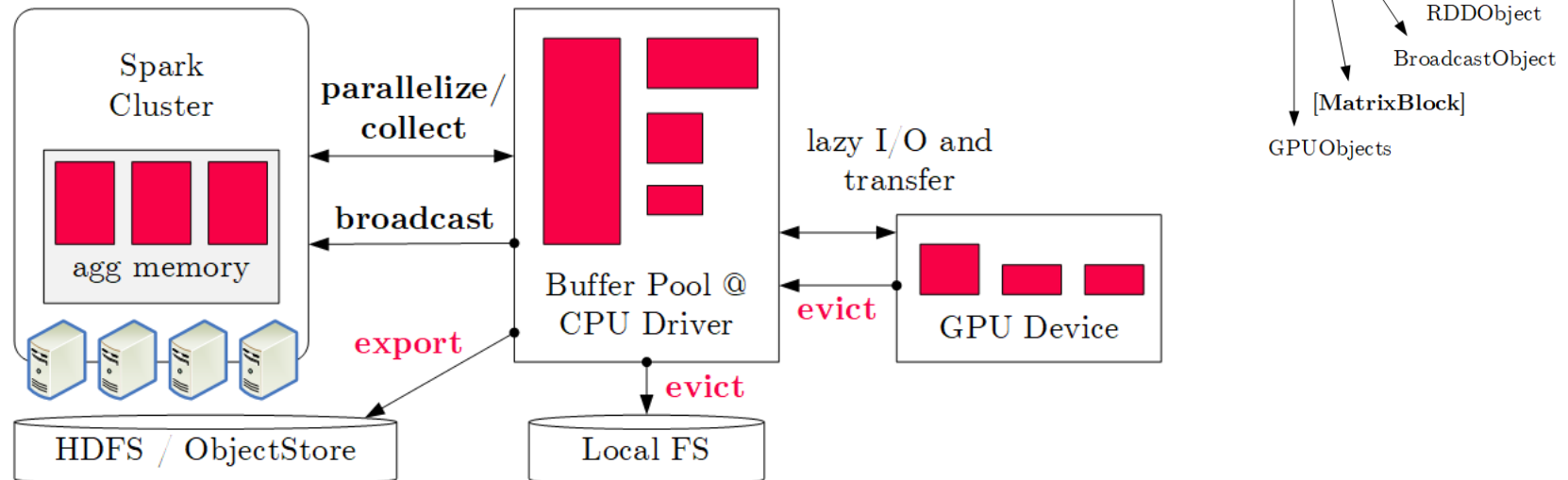
#3 Scan Sharing (and operator fusion)

#4 NUMA-Aware Partitioning and Replication

#5 Index Structures

Buffer Pool Management

- **#1 Classic Buffer Management (SystemDS)**
 - Hybrid plans of in-memory and distributed ops
 - **Graceful eviction of intermediate variables**

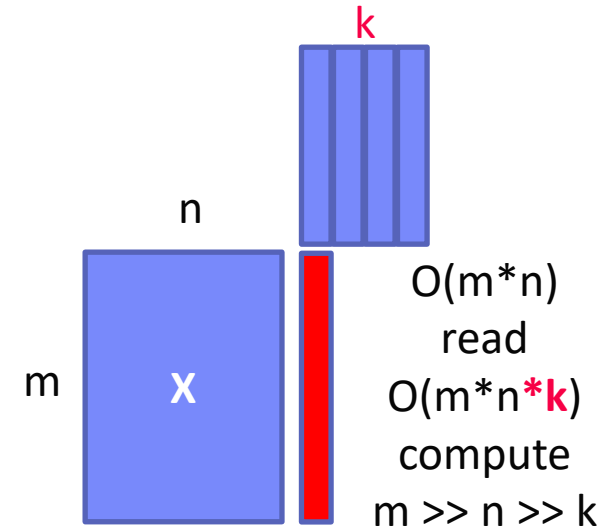


- **#2 Algorithm-Specific Buffer Management**
 - Operations/algorithms over out-of-core matrices and factor graphs
 - Examples: **RIOT** [CIDR'2009] (ops), **Elementary** [SIGMOD'13] (factor graphs)

Scan Sharing

#1 Batching

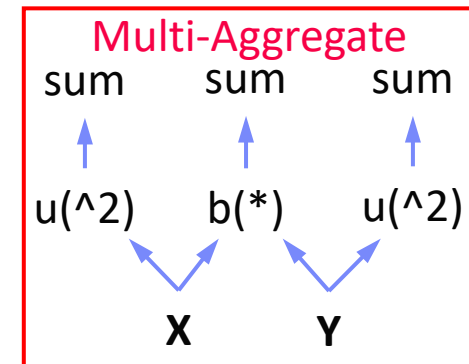
- One-pass evaluation of multiple configurations
- Use cases: EL, CV, feature selection, hyper parameter tuning, multi-user scoring
- E.g.: **TUPAQ** [SoCC'16], **Columbus** [SIGMOD'14]



#2 Fused Operator DAGs

- Avoid unnecessary scans, (e.g., mmchain)
- Avoid unnecessary writes / reads
- Multi-aggregates, redundancy
- E.g.: **SystemML codegen** [PVLDB'18]

```
a = sum(X^2)
b = sum(X*Y)
c = sum(Y^2)
```



#3 Runtime Piggybacking

- Merge concurrent data-parallel jobs
- “Wait-Merge-Submit-Return”-loop
- E.g.: **SystemML parfor** [PVLDB'14]

```
parfor( i in 1:numModels )
    while( !converged )
        q = X %*% v; ...
```

In-Memory Partitioning (NUMA-aware)

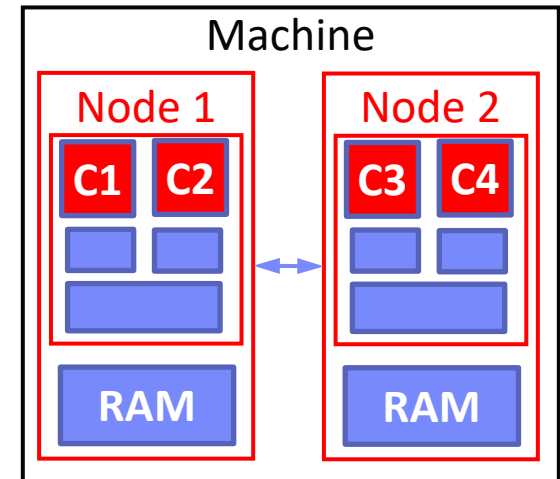
■ NUMA-Aware Model and Data Replication

- Model Replication (**06 Parameter Servers**)
 - PerCore (BSP epoch), PerMachine (Hogwild!), PerNode (hybrid)
- Data Replication
 - Partitioning (sharding)
 - Full replication

■ AT MATRIX (Adaptive Tile Matrix)

- Recursive NUMA-aware partitioning into dense/sparse tiles
- Inter-tile (worker teams) and intra-tile (threads in team) parallelization
- Job scheduling framework from SAP HANA (horizontal range partitioning, socket-local queues with task-stealing)

[Ce Zhang, Christopher Ré: DimmWitted: A Study of Main-Memory Statistical Analytics. **PVLDB 2014**]



[David Kernert, Wolfgang Lehner, Frank Köhler: Topology-aware optimization of big sparse matrices and matrix multiplications on main-memory systems. **ICDE 2016**]



Distributed Partitioning

Spark RDD Partitioning

- Implicitly on every data shuffling
- Explicitly via `R.repartition(n)`

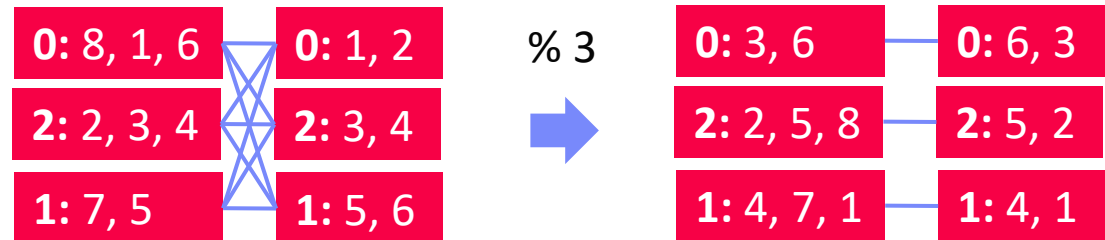
Example Hash Partitioning:

For all (k,v) of R :

$\text{hash}(k) \% \text{numPartitions} \rightarrow \text{pid}$

Distributed Joins

- `R3 = R1.join(R2)`



Single-Key Lookups $v = C.\text{lookup}(k)$

- Without partitioning:** scan all keys (reads/deserializes out-of-core data)
- With partitioning:** lookup partition, scan keys of partition

Multi-Key Lookups

- Without partitioning:
scan all keys
- With partitioning:
lookup relevant partitions

```
//build hashset of required partition ids
HashSet<Integer> flags = new HashSet<>();
for( MatrixIndexes key : filter )
    flags.add(partitioner.getPartition(key));

//create partition pruning rdd
ppRDD = PartitionPruningRDD.create(in.rdd(),
    new PartitionPruningFunction(flags));
```

Recap: B-Tree Overview

[Rudolf Bayer, Edward M. McCreight:
Organization and Maintenance of Large
Ordered Indices. **Acta Inf. (1) 1972]**



History B-Tree

- Bayer and McCreight 1972, **Block-based, Balanced, Boeing Labs**
- **Multiway tree** (node size = page size); designed for DBMS
- Extensions: **B+-Tree/B*-Tree** (data only in leafs, double-linked leaf nodes)

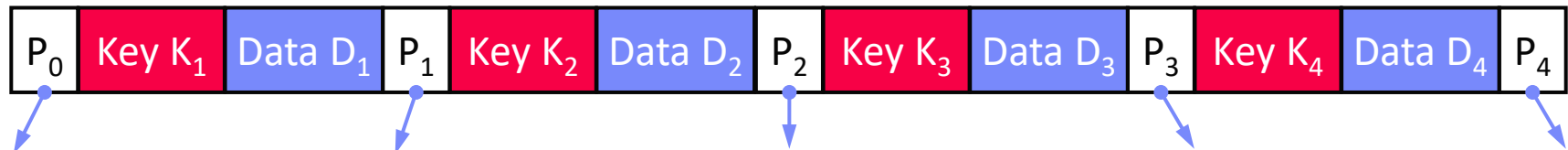
Definition B-Tree (k, h)

- All paths from root to leafs have equal length h
- All nodes (except root) have **[k, 2k]** key entries
- All nodes (except root, leafs) have **[k+1, 2k+1]** successors
- Data is a record or a reference to the record (RID)

$$\lceil \log_{2k+1}(n+1) \rceil \leq h \leq \left\lceil \log_{k+1} \left(\frac{n+1}{2} \right) \right\rceil + 1$$

All nodes adhere
to max constraints

k=2



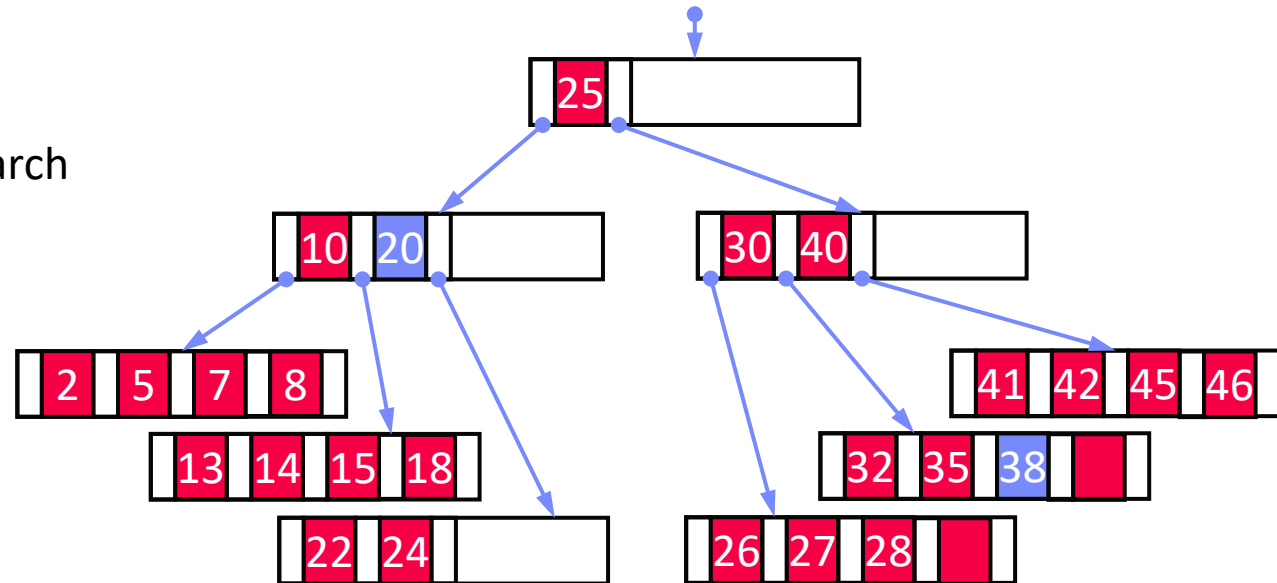
Subtree w/
keys $\leq K_1$

Subtree w/
 $K_2 < \text{keys} \leq K_3$

Recap: B-Tree Overview, cont.

■ B-Tree Search

- Scan/binary search within nodes
- Descend along matching key ranges



■ B-Tree Insertion

- Insert into leaf nodes
- Split the $2k+1$ entries into two leaf nodes

■ B-Tree Deletion

- Lookup key and delete if existing
- Move entry from fullest successor; if underflow merge with sibling

Linearized Array B-Tree (LAB-Tree)

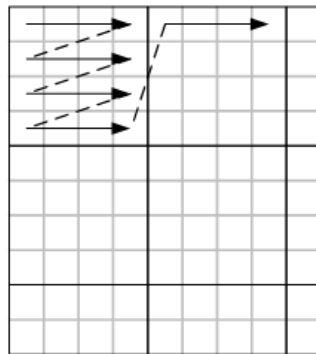
Basic Ideas

- **B-tree over linearized array representation** (e.g., row-/col-major, Z-order, UDF)
- New **leaf splitting strategies**; dynamic **leaf storage format** (sparse and dense)
- Various **flushing policies** for update batching (all, LRU, smallest page, largest page, largest page probabilistically, largest group)

[Yi Zhang, Kamesh Munagala, Jun Yang: Storing Matrices on Disk: Theory and Practice Revisited. **PVLDB 2011**]

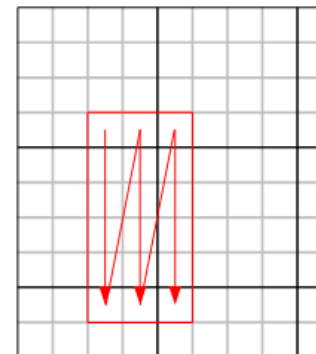


#1 Example linearized storage order



matrix A:
4 x 4 blocking
row-major block order
row-major cell order

#2 Example linearized iterator order



range query A[4:9,3:5]
with column-major
iterator order

Adaptive Tile (AT) Matrix

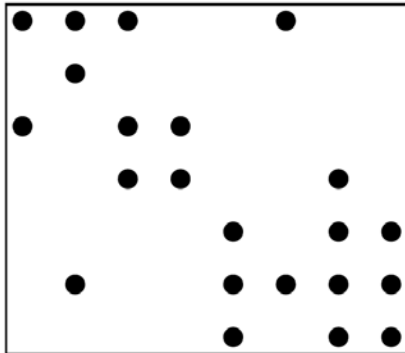
[David Kernert, Wolfgang Lehner, Frank Köhler: Topology-aware optimization of big sparse matrices and matrix multiplications on main-memory systems. **ICDE 2016**]



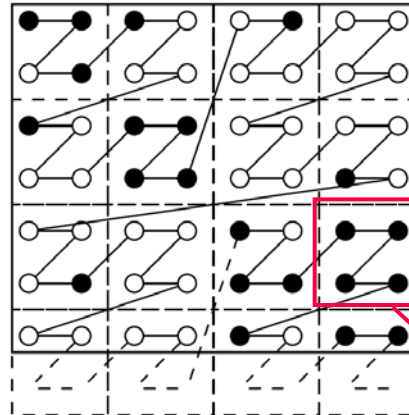
Basic Ideas

- Two-level blocking and NUMA-aware range partitioning (tiles, blocks)
- Z-order linearization, and **recursive quad-tree partitioning** to find var-sized tiles (tile contains N blocks)

Input Matrix

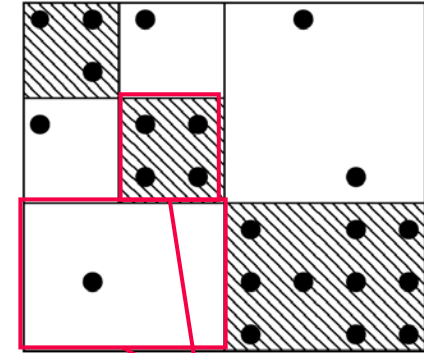
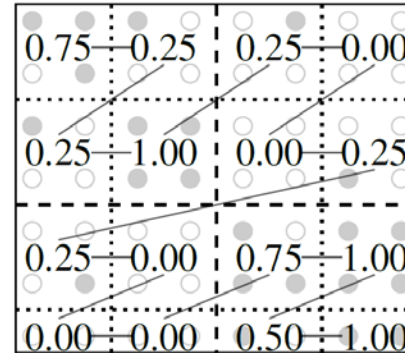


Z-ordering



block

Density Map
(see sparsity est.)



tiles

TileDB Storage Manager

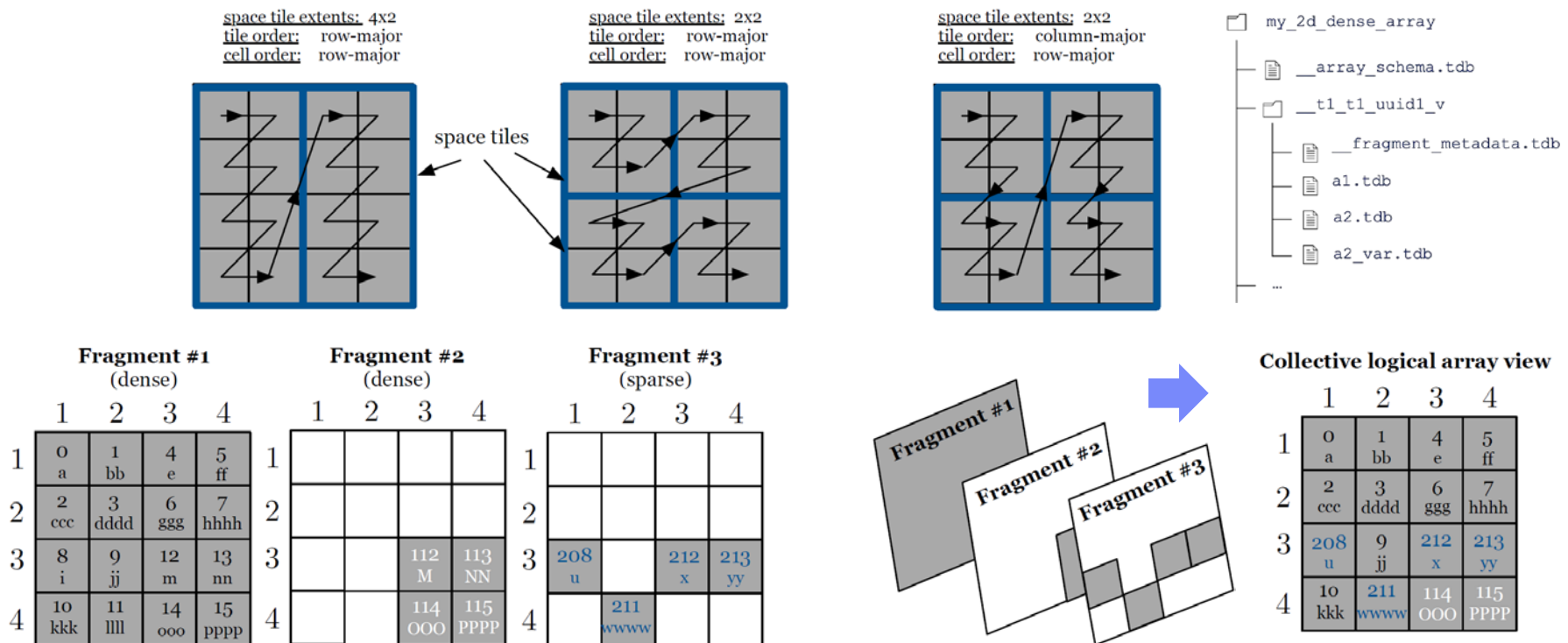
[Stavros Papadopoulos, Kushal Datta, Samuel Madden, Timothy G. Mattson: The TileDB Array Data Storage Manager. **PVLDB 2016**]



<https://docs.tiledb.com>

Basic Ideas

- Storage manager for 2D arrays of different data types (incl. vector, 3D)
- Two-level blocking** (space/data tiles), update batching via **fragments**



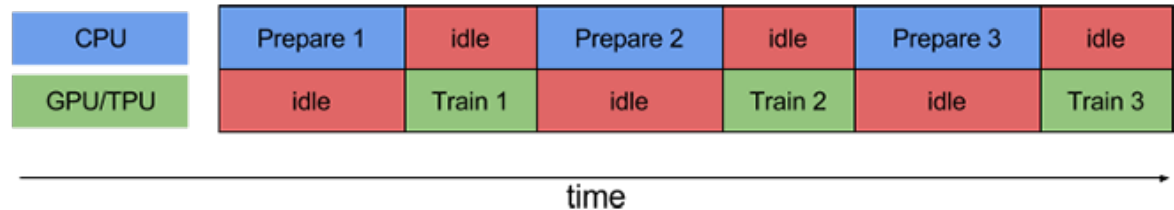
Pipelining for Mini-batch Algorithms

Motivation

- Overlap data access and computation in mini-batch algorithms (e.g., DNN)
 - ➔ Simple pipelining of I/O and compute via queueing / prefetching

Example TensorFlow

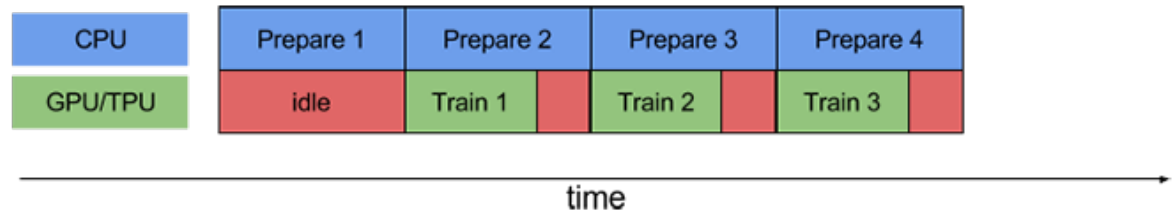
- #1 Queueing and Threading



- #2 Dataset API Prefetching

[<https://www.tensorflow.org/guide/performance/datasets>]

```
dataset = dataset.batch(batch_size=32)
dataset = dataset.prefetch(buffer_size=1)
```



- #3 Reuse via Data Echoing



[<https://ai.googleblog.com/2020/05/speeding-up-neural-network-training.html>]

Lossy and Lossless Compression

#6 Compression

Recap: Database Compression Schemes

Null Suppression

- Compress integers by **omitting leading zero** bytes/bits (e.g., NS, gamma)

106			
00000000	00000000	00000000	01101010
			11 01101010

Run-Length Encoding

- Compress sequences of equal values by **runs** of (value, start, run length)

1	1	1	1	7	7	7	7	3	3	3	3	3	...
1, 1, 4	7, 5, 5	3, 10, 6											

Dictionary Encoding

- Compress column w/ few distinct values as **pos in dictionary** (→ code size)

1	7	7	3	1	7	1	3	3	7	1	3	3	7	3	...
1, 3, 7	dictionary (code size 2 bit)														
1	3	3	2	1	3	1	2	2	3	1	2	2	3	2	...

Delta Encoding

- Compress sequence w/ small changes by storing **deltas to previous value**

20	21	22	20	19	18	19	20	21	20	...
0	1	1	-2	-1	-1	1	1	1	-1...	

Frame-of-Reference Encoding

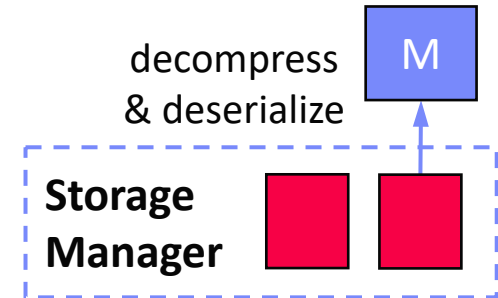
- Compress values by storing **delta to reference value** (outlier handling)

20	21	22	20	71	70	71	69	70	21	...
21				70					22	
-1	0	1	-1	1	0	1	-1	0	-1	...

Overview Lossless Compression Techniques

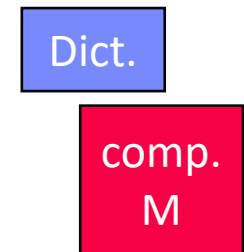
■ #1 Block-Level General-Purpose Compression

- Heavyweight or lightweight compression schemes
- Decompress matrices block-wise for each operation
- E.g.: Spark RDD compression (Snappy/LZ4), **SciDB** SM [SSDBM'11], **TileDB** SM [PVLDB'16], scientific formats **NetCDF**, **HDF5** at chunk granularity



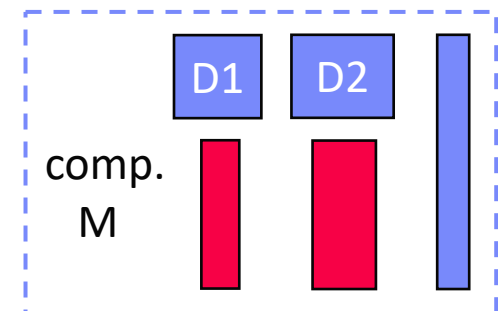
■ #2 Block-Level Matrix Compression

- Compress matrix block with homogeneous encoding scheme
- Perform LA ops over compressed representation
- E.g.: **CSR-VI** (dict) [CF'08], **cPLS** (grammar) [KDD'16], **TOC** (LZW w/ trie) [SIGMOD'19]



■ #3 Column-Group-Level Matrix Compression

- Compress column groups w/ heterogeneous schemes
- Perform LA ops over compressed representation
- E.g.: **SystemML CLA** (RLE, OLE, DDC, UC) [PVLDB'16]



CLA: Compressed Linear Algebra

[Ahmed Elgohary et al:
Compressed Linear Algebra
for Large-Scale Machine
Learning. **PVLDB 2016**]



Key Idea

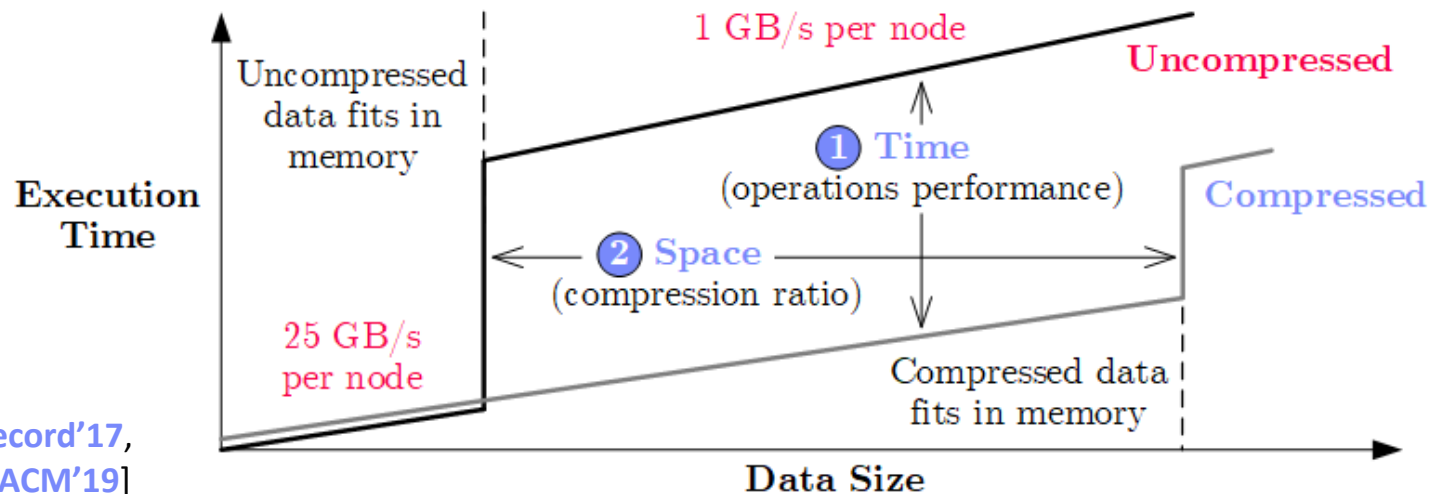
- Use lightweight database compression techniques
- Perform LA operations **on compressed matrices**

Goals of CLA

- Operations performance close to uncompressed
- Good compression ratios

X

```
while(!converged) {
    ... q = X %*% v ...
}
```



[SIGMOD Record'17,
VLDBJ'18, CACM'19]

CLA: Compressed Linear Algebra, cont. (2)

Overview Compression Framework

- Column-wise matrix compression (values + compressed offsets / references)
- Column co-coding** (column groups, encoded as single unit)
- Heterogeneous column encoding formats** (w/ dedicated **physical encodings**)

Column Encoding Formats

- Offset-List (OLE)
- Run-Length (RLE)
- Dense Dictionary Coding (DDC)*
- Uncompressed Columns (UC)

Uncompressed
Input Matrix

7	9	6	2.1	0.99
3	9	4	3	0.73
7	9	6	2.1	0.05
7	9	5	3	0.42
3	0	4	2.1	0.61
0	8.2	0	3	0.89
3	9	4	3	0.07
3	9	4	0	0.92
7	9	6	2.1	0.54
3	0	4	3	0.16



Compressed Column Groups

RLE(2)	OLE(1,3)	DDC(4)	UC(5)
(9) (8.2)	(7,6) (3,4) (7,5)	(2.1) 1	0.99
<u>1</u> <u>6</u>	<u>1</u> <u>2</u> <u>4</u>	(3) 2	0.73
<u>4</u> <u>1</u>	3 5	(0) 1	0.05
<u>7</u>	9 7	2	0.42
<u>3</u>	8	1	0.61
--	10	2	0.89
		2	0.07
		3	0.92
		1	0.54
		2	0.16

* DDC1/2

in VLDBJ'18

Automatic Compression Planning (**sampling-based**)

- Select column groups and formats per group (data dependent)

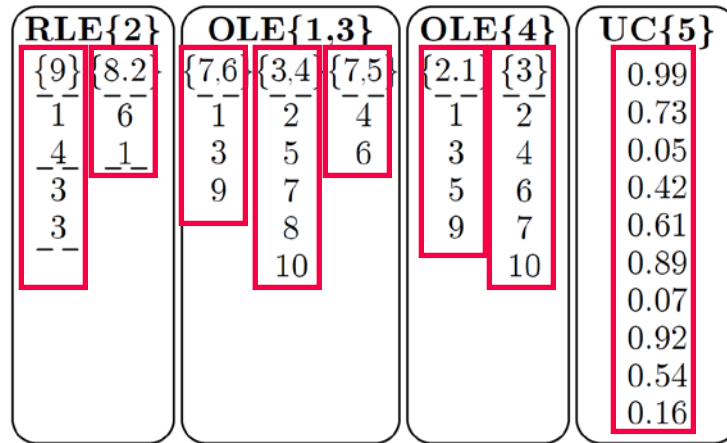
CLA: Compressed Linear Algebra, cont. (3)

Matrix-Vector Multiplication

- Naïve: for each tuple, pre-aggregate values, add values at offsets to q

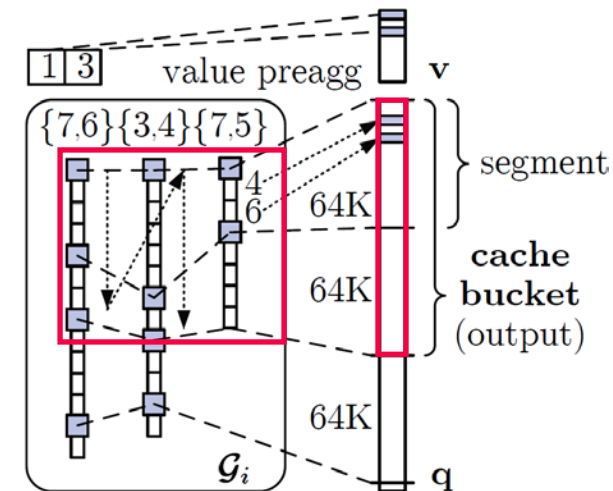
Example: $q = X v$, with $v = (7, 11, 1, 3, 2)$

$9 \times 11 = 99$ 2 55 25 54 6.3 9



162.3
134.5
160.4
162.8
32.5
155
133.1
125.8
161.4
34.3

→ cache unfriendly on output (q)



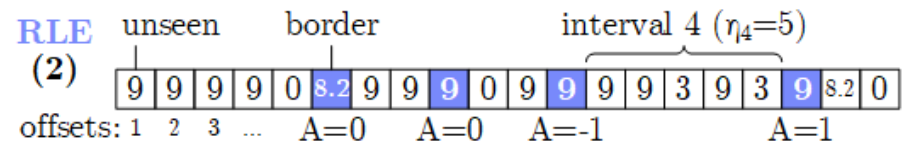
- Cache-conscious:** Horizontal, segment-aligned scans, maintain positions

Vector-Matrix Multiplication

- Naïve: **cache-unfriendly on input (v)**
- Cache-conscious: again use horizontal, segment-aligned scans

CLA: Compressed Linear Algebra, cont. (4)

- **Estimating Compressed Size:** $S^C = \min(S^{OLE}, S^{RLE}, S^{DDC})$
 - # of distinct tuples d_i : “Hybrid generalized jackknife” estimator [JASA’98]
 - # of non-zero tuples z_i : Scale from sample with “coverage” adjustment
 - # of runs r_{ij} : maxEnt model + independent-interval approx. (\sim Ising-Stevens)



- **Compression Planning**
 - **#1 Classify compressible columns**
 - Draw random sample of rows (from transposed X)
 - Classify C^C and C^{UC} based on estimate compression ratio
 - **#2 Group compressible columns** (exhaustive $O(m^m)$, greedy $O(m^3)$)
 - Bin-packing-based column partitioning
 - Greedy grouping per bin w/ pruning and memoization $O(m^2)$
 - **#3 Compression**
 - Extract uncompressed offset lists and exact compression ratio
 - Graceful corrections and UC group creation

CLA: Compressed Linear Algebra, cont. (5)

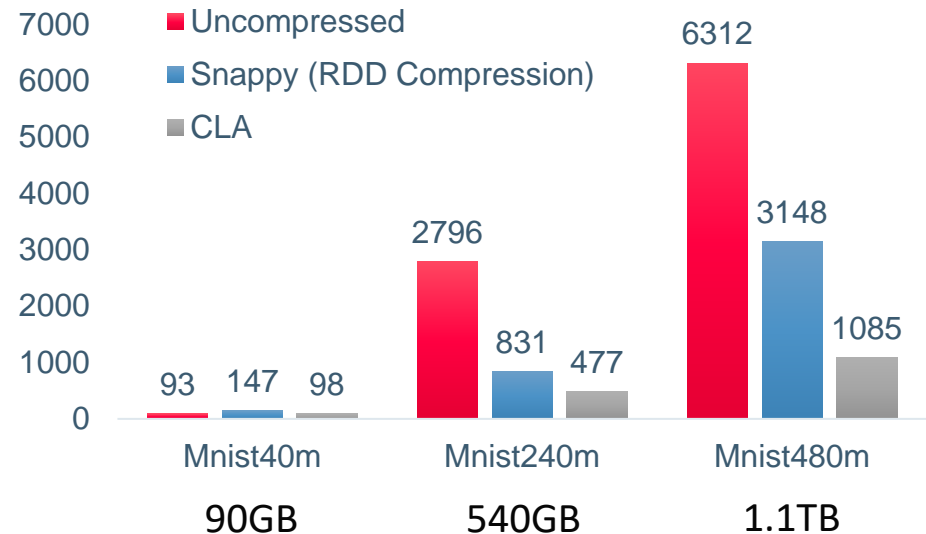
Experimental Setup

- LinregCG, 10 iterations (incl. compression), InfiMNIST data generator
- 1+6 node cluster (216GB aggregate memory), Spark 2.3, SystemML 1.1

Compression Ratios

Dataset	Gzip	Snappy	CLA
Higgs	1.93	1.38	2.17
Census	17.11	6.04	35.69
Covtype	10.40	6.13	18.19
ImageNet	5.54	3.35	7.34
Mnist8m	4.12	2.60	7.32
Airline78	7.07	4.28	7.44

End-to-End Performance [sec]



Open Challenges

- Ultra-sparse datasets, tensors, automatic operator fusion
- Operations beyond matrix-vector/unary, applicability to deep learning?



[WIP] Extended CLA Framework

- **#1 Program-aware Compression Planning**
 - Lossless and lossy compressed column groups
 - **Extended operations** (e.g., matrix-matrix multiplication), extended co-coding (e.g., for millions of columns)
 - **LA program-aware compression planning** (where, how)
- **#2 Compression Pushdown into Data Preparation Pipelines**
 - Leverage transformation-encode intermediates (e.g., distinct items)
 - **Push compression in data preparation pipelines** (e.g., for avoiding blow-up of temporary intermediates)
- **#3 Federated Learning** (in ExDRa)
 - Federated linear algebra and federated parameter servers
 - Coordinator and standing federated workers (stateful server)
 - **Async compression planning** and **data reorganization** on free cycles

Block-level Compression w/ D-VI, CSR-VI, CSX

■ CSR-VI (CSR-Value Indexed) / D-VI

- **Create dictionary** for distinct values
- **Encode 8 byte values as 1, 2, or 4-byte codes** (positions in the dictionary)
- Extensions w/ delta coding of indexes
- Example CSR-VI matrix-vector multiply
 $c = A \%* \% b$

```
for(int i=0; i<a.nrow; i++) {
    int pos = A.rptr[i];
    int end = A.rptr[i+1];
    for(int k=pos; k<end; k++)
        b[i] += dict[A.val[k]] * b[A.ix[k]];
}
```

value decoding
(MV over compressed representation)

[Kornilios Kourtis, Georgios I. Goumas, Nectarios Koziris: Optimizing sparse matrix-vector multiplication using index and value compression. **CF 2008**]



[Vasileios Karakasis et al.: An Extended Compression Format for the Optimization of Sparse Matrix-Vector Multiplication. **IEEE Trans. Parallel Distrib. Syst. 2013**]



CSR

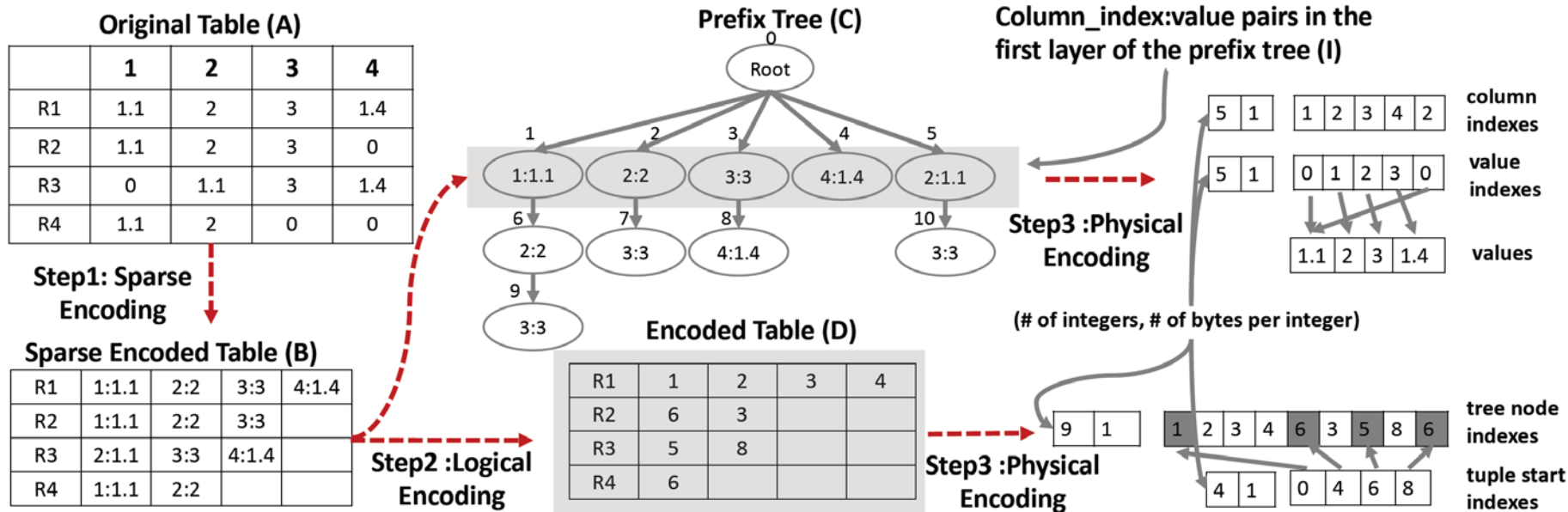
0	0	.7
2	2	.1
4	0	.2
5	1	.4
	1	.3

Tuple-oriented Compression (TOC)

Motivation

- DNN and ML often trained with **mini-batch SGD**
- Effective compression for small batches (#rows)

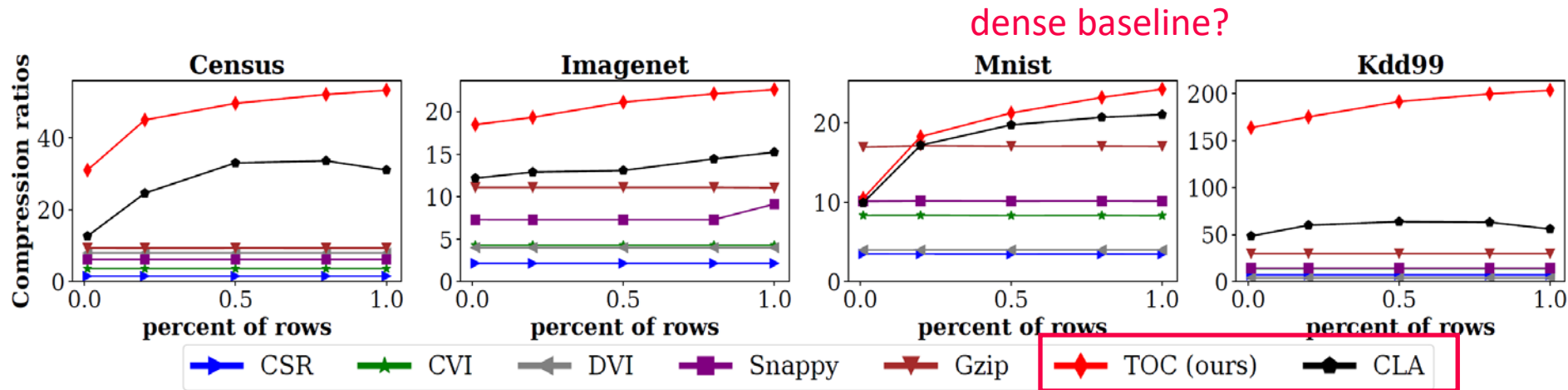
[Fengan Li, Lingjiao Chen, Yijing Zeng, Arun Kumar, Xi Wu, Jeffrey F. Naughton, Jignesh M. Patel: Tuple-oriented Compression for Large-scale Mini-batch Stochastic Gradient Descent, **SIGMOD 2019**]



Tuple-oriented Compression (TOC), cont.

Example Compression Ratios

[Fengan Li, Lingjiao Chen, Yijing Zeng, Arun Kumar, Xi Wu, Jeffrey F. Naughton, Jignesh M. Patel: Tuple-oriented Compression for Large-scale Mini-batch Stochastic Gradient Descent, **SIGMOD 2019**]



Take-away: specialized lossless matrix compression
→ reduce memory bandwidth requirements and #FLOPs

Lossy Compression

Overview

- Extensively used in DNN (runtime vs accuracy) → data format + compute
- Careful manual application regarding data and model
- Note:** ML algorithms approximate by nature + noise generalization effect

Background Floating Point Numbers (IEEE 754)

- Sign s , Mantissa m , Exponent e : $\text{value} = s * m * 2^e$ (simplified)

Precision	Sign	Mantissa	Exponent	[bits]
Double (FP64)	1	52	11	
Single (FP32)	1	23	8	
Half (FP16)	1	10	5	
Quarter (FP8)	1	3	4	
Half-Quarter (FP4)	1	1	2	

Low and Ultra-low FP Precision

Model Training w/ low FP Precision

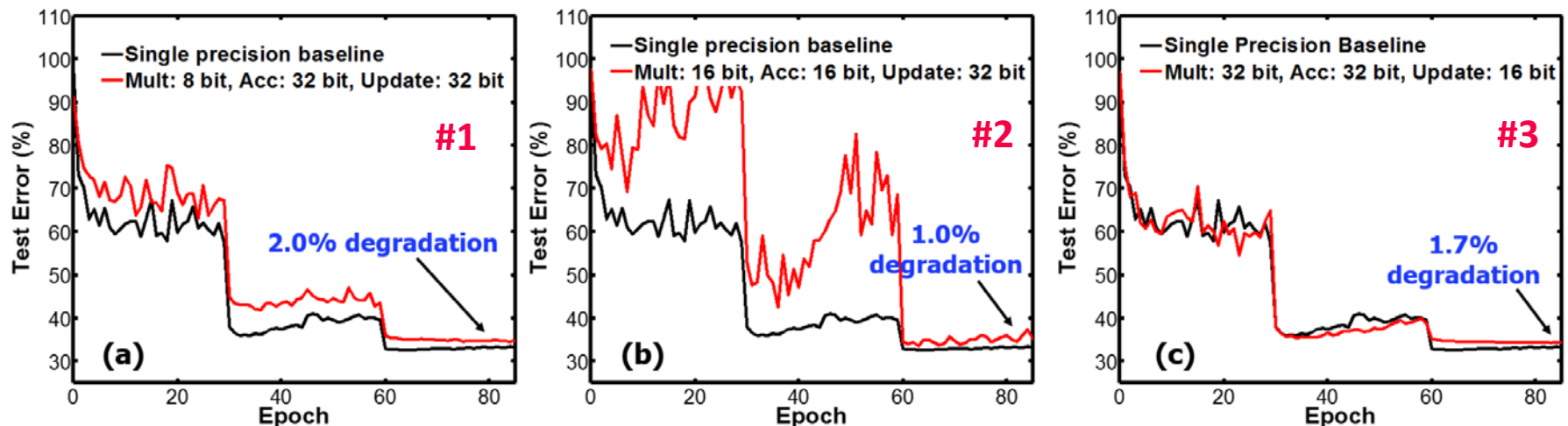
see [05 Execution Strategies](#), SIMD
→ speedup/reduced energy

- Trend: from **FP32/FP16** to **FP8**
- **#1: Precision of intermediates** (weights, act, errors, grad) → loss in accuracy
- **#2: Precision of accumulation** → impact on convergence (swamping s+L)
- **#3: Precision of weight updates** → loss in accuracy

[Naigang Wang et al.: Training Deep Neural Networks with **8-bit** Floating Point Numbers. **NeurIPS 2018**]



Example ResNet18 over ImageNet



Low and Ultra-low FP Precision, cont.

■ Numerical Stable Accumulation

[Yuanyuan Tian, Shirish Tatikonda, Berthold Reinwald: Scalable and Numerically Stable Descriptive Statistics in **SystemML**. **ICDE 2012**]



■ #1 **Sorting ASC + Summation**

■ #2 **Kahan Summation**

w/ error independent
of number of values n

```
sumOld = sum;
sum = sum + (input + corr);
corr = (input + corr) - (sum - sumOld);
```

```
uak+: 5.000000005E17 //sum(seq(1,1e9))
ua+: 5.0000000109721722E17
ua+: 5.0000000262154688E17 //rev
```



■ #3 **Pairwise Summation**

(divide & conquer)



■ #4 **Chunk-based Accumulation**

- Divide long dot products into smaller chunks
- Hierarchy of partial sums → **FP16 accumulators**

[N. Wang et al.: Training Deep Neural Networks with **8-bit** Floating Point Numbers. **NeurIPS 2018**]



■ #5 **Stochastic Rounding**

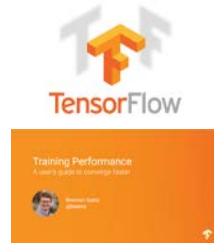
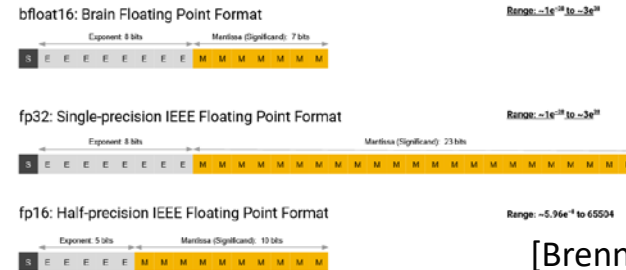
- Replace nearest w/ prob. rounding

$$\text{Round}(x) = \begin{cases} s \cdot 2^e \cdot (1 + \lfloor m \rfloor + \epsilon) & \text{with probability } \frac{m - \lfloor m \rfloor}{\epsilon}, \\ s \cdot 2^e \cdot (1 + \lfloor m \rfloor) & \text{with probability } 1 - \frac{m - \lfloor m \rfloor}{\epsilon}, \end{cases}$$

Low and Ultra-low FP Precision – New Datatypes

Google bfloat16

- “Brain” Float16 w/ range of FP32
- Drop in replacement for FP32, no need for loss scaling

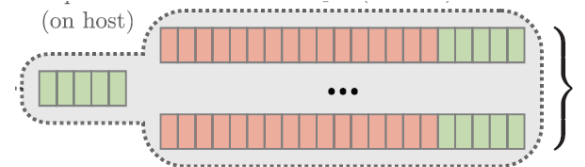


[Brennan Saeta: Training Performance A user's guide to converge faster, **TF Dev Summit 2018**]

Intel FlexPoint

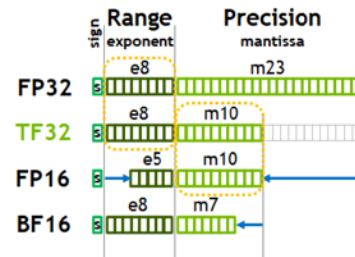
- Blocks of values w/ shared exponent (N=16bit w/ M=5bit exponent)
- Example: flex16+5

[Urs Köster et al.: Flexpoint: An Adaptive Numerical Format for Efficient Training of Deep Neural Networks. **NeurIPS 2017**]



NVIDIA TF32

- Range of FP32 w/ precision of FP16



[NVIDIA A100 Tensor Core GPU Architecture - UNPRECEDENTED ACCELERATION AT EVERY SCALE, Whitepaper, **Aug 2020**]



Fixed-Point Arithmetic

Recommended “Reading”

[Inside TensorFlow: Model Optimization Toolkit (Quantization and Pruning), **YouTube**, 2020]



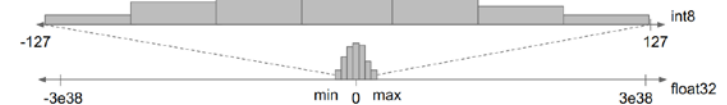
■ Motivation

- Forward-pass for model scoring (inference) can be done in **UINT8** and below
- Static, dynamic, and learned quantization** schemes (**weights** and **inputs**)

■ Quantization (reduce value domain)

- Split value domain into N buckets** such that $k = \log_2 N$ can encode the data
- a) Static Quantization** (e.g., min/max) per tensor or per tensor channel

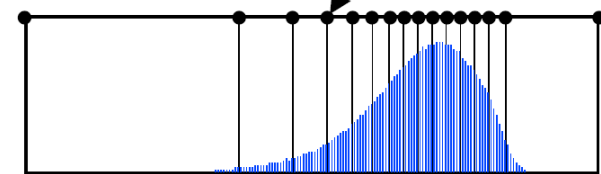
[<https://blog.tensorflow.org/2020/04/quantization-aware-training-with-tensorflow-model-optimization-toolkit.html>]



■ b) Learned Quantization Schemes

- Dynamic programming
- Various heuristics
- Example systems: **ZipML**, **SketchML**

Optimal Quantization Points



[Hantian Zhang, Jerry Li, Kaan Kara, Dan Alistarh, Ji Liu, Ce Zhang: ZipML: Training Linear Models with End-to-End Low Precision, and a Little Bit of Deep Learning. **ICML 2017**]



Other Lossy Techniques

[<https://blog.tensorflow.org/2019/05/tf-model-optimization-toolkit-pruning-API.html>]

- **#1 Sparsification/Pruning** (reduce #non-zeros)
 - **Value clipping**: zero-out very small values below a threshold to reduce size of weights
 - **Training w/ target sparsity**: remove connections

Sparse Accuracy	NNZ
78.1% @ sp=1.0	27.1M
78.0% @ sp=0.5	13.6M
76.1% @ sp=0.25	6.8M
74.6% @ sp=0.125	3.3M

■ #2 Mantissa Truncation

- Truncate m of FP32 from 23bit to 16bit
- E.g., **TensorFlow** (transfers), **PStore**

[Souvik Bhattacharjee et al: PStore: an efficient storage framework for managing scientific data. **SSDBM 2014**]



■ #3 Aggregated Data Representations

- a) Dim reduction (e.g., auto encoders)
- b) No FK-PK joins in Factorized Learning (**foreign key** as lossy compressed rep)

[Amir Ilkhechi et al: DeepSqueeze: Deep Semantic Compression for Tabular Data, **SIGMOD 2020**]



[Arun Kumar et al: To Join or Not to Join?: Thinking Twice about Joins before Feature Selection. **SIGMOD 2016**]



■ #4 Sampling

- User specifies **approximation contract** for error (regression/classification) and scale
- Min sample size for **max likelihood estimators**

[Yongjoo Park et al: BlinkML: Efficient Maximum Likelihood Estimation with Probabilistic Guarantees. **SIGMOD 2019**]



Summary and Conclusions

- Motivation, Background, and Overview
- Caching, Partitioning, and Indexing
- Lossy and Lossless Compression

**High Impact on
Performance/Energy**

Next Lectures

- **May 14:** Ascension Day (Christi Himmelfahrt) + “Rektorstag”
- **09 Data Acquisition, Cleaning, and Preparation** [May 21]
- **10 Model Selection and Management** [May 28]
- **11 Model Debugging, Fairness, Explainability** [Jun 04]
- **12 Model Serving Systems and Techniques** [Jun 11]

**(Part B:
ML Lifecycle
Systems)**