

# Data Management 08 Query Processing

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Last update: May 03, 2021

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# Announcements/Org

### #1 Video Recording

- Link in TeachCenter & TUbe (lectures will be public)
- https://tugraz.webex.com/meet/m.boehm
- Corona traffic light RED → May 17: ORANGE (but tests required)



#### #2 Reminder Communication

- Newsgroup: news://news.tugraz.at/tu-graz.lv.dbase
- Office hours: Mo 12.30-1.30pm (<a href="https://tugraz.webex.com/meet/m.boehm">https://tugraz.webex.com/meet/m.boehm</a>)

#### #3 Exercise Submissions

- Grading Exercise 1: tomorrow, Exercise 2: end May
- Exercise 3: to be published tomorrow, discussed next lecture





# **Query Optimization and Query Processing**

SELECT \* FROM TopScorer
WHERE Count>=4

CREATE VIEW TopScorer AS
SELECT P.Name, Count(\*)
 FROM Players P, Goals G
WHERE P.Pid=G.Pid
 AND G.GOwn=FALSE
GROUP BY P.Name
ORDER BY Count(\*) DESC

WHAT

Yes, but HOW to we get there efficiently 2014

Name	Count
James Rodríguez	6
Thomas Müller	5
Robin van Persie	4
Neymar	4

- Goal: Basic Understanding of Internal Query Processing
  - Query rewriting and query optimization
  - Query processing and physical plan operators
  - → Performance debugging & reuse of concepts and techniques
  - → Overview, detailed techniques discussed in ADBS (WS 2020)





# Agenda

- Query Rewriting and Optimization
- Plan Execution Strategies
- Physical Plan Operators



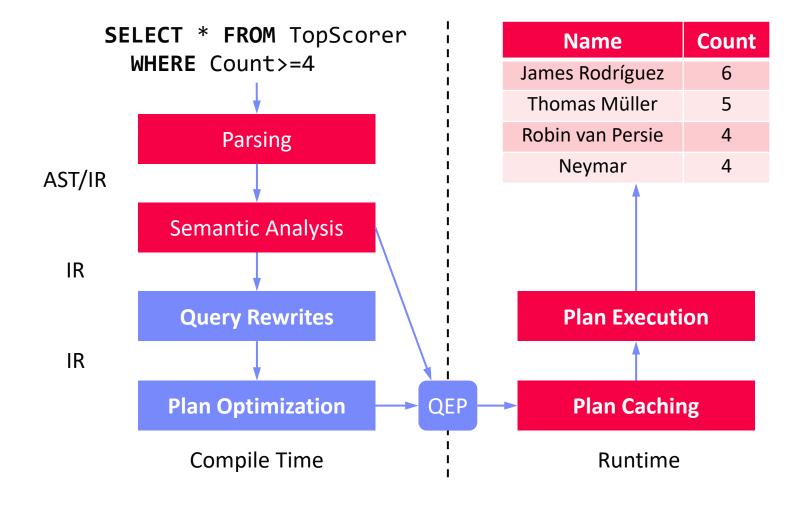


# Query Rewriting and Optimization





# Overview Query Optimization







# **Query Rewrites**

### Query Rewriting

- Rewrite query into semantically equivalent form that may be processed more efficiently or give the optimizer more freedom
- #1 Same query can be expressed differently, avoid hand-tuning
- #2 Complex queries may have redundancy

### A Simple Example

Catalog meta data: custkey is unique **SELECT DISTINCT** custkey, name **FROM** TPCH.Customer



**SELECT** custkey, name **FROM** TPCH.Customer

25+ years of experience on query rewriting

[Hamid Pirahesh, T. Y. Cliff Leung, Waqar Hasan: A Rule Engine for Query Transformation in Starburst and IBM DB2 C/S DBMS. ICDE 1997]







# Standardization and Simplification

- Normal Forms of Boolean Expressions
  - Conjunctive normal form (P<sub>11</sub> OR ... OR P<sub>1n</sub>) AND ... AND (P<sub>m1</sub> OR ... OR P<sub>mp</sub>)
  - Disjunctive normal form (P<sub>11</sub> AND ... AND P<sub>1q</sub>) OR ... OR (P<sub>r1</sub> AND ... AND P<sub>rs</sub>)

### Transformation Rules for Boolean Expressions

Rule Name	Examples		
Commutativity rules	$A OR B \Leftrightarrow B OR A$		
	A AND B $\Leftrightarrow$ B AND A		
Associativity rules	(A OR B) OR C $\Leftrightarrow$ A OR (B OR C)		
	(A AND B) AND C $\Leftrightarrow$ A AND (B AND C)		
Distributivity rules	A OR (B AND C) $\Leftrightarrow$ (A OR B) AND (A OR C)		
	A AND (B OR C) $\Leftrightarrow$ (A AND B) OR (A AND C)		
De Morgan's rules	NOT (A AND B) $\Leftrightarrow$ NOT (A) OR NOT (B)		
	NOT (A OR B) $\Leftrightarrow$ NOT (A) AND NOT (B)		
Double-negation rules	$NOT(NOT(A)) \Leftrightarrow A$		
Idempotence rules	A OR A $\Leftrightarrow$ A AND A $\Leftrightarrow$ A		
	A OR NOT(A) $\Leftrightarrow$ TRUE A AND NOT (A) $\Leftrightarrow$ FALSE		
	A AND (A OR B) $\Leftrightarrow$ A A OR (A AND B) $\Leftrightarrow$ A		
	A OR FALSE $\Leftrightarrow$ A OR TRUE $\Leftrightarrow$ TRUE		
	A AND FALSE ⇔ FALSE		





# Standardization and Simplification, cont.

- Elimination of Common Subexpressions
  - $(A_1=a_{11} \text{ OR } A_1=a_{12}) \text{ AND } (A_1=a_{12} \text{ OR } A_1=a_{11}) \rightarrow A_1=a_{11} \text{ OR } A_1=a_{12}$
- Propagation of Constants
  - $\blacksquare$  A  $\ge$  B AND B =  $7 \rightarrow$  A  $\ge$  7 AND B = 7
- Detection of Contradictions
  - $A \ge B$  AND B > C AND  $C \ge A \rightarrow A > A \rightarrow FALSE$
- Use of Constraints
  - A is primary key/unique:  $\pi_A \rightarrow$  no duplicate elimination necessary
  - Rule MAR\_STATUS = 'married' → TAX\_CLASS ≥ 3: (MAR\_STATUS = 'married' AND TAX\_CLASS = 1) → FALSE
- Elimination of Redundancy (set semantics)
  - $R \bowtie R \rightarrow R$ ,  $R \cup R \rightarrow R$ ,  $R R \rightarrow \emptyset$
  - $R\bowtie(\sigma_pR)$   $\rightarrow \sigma_pR$ ,  $R\cup(\sigma_pR)$   $\rightarrow R$ ,  $R-(\sigma_pR)$   $\rightarrow \sigma_{-p}R$
  - $(\sigma_{p1}R)\bowtie(\sigma_{p2}R) \rightarrow \sigma_{p1\wedge p2}R$ ,  $(\sigma_{p1}R)\cup(\sigma_{p2}R) \rightarrow \sigma_{p1\vee p2}R$



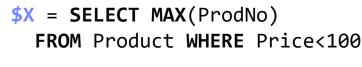
# **Query Unnesting**

[Won Kim: On Optimizing an SQL-like Nested Query. **ACM Trans. Database Syst. 1982**]



- Case 1: Type-A Nesting
  - Inner block is not correlated and computes an aggregate
  - Solution: Compute the aggregate once and insert into outer query

```
SELECT OrderNo FROM Order
WHERE ProdNo =
   (SELECT MAX(ProdNo)
    FROM Product WHERE Price<100)</pre>
```



SELECT OrderNo FROM Order WHERE ProdNo = \$X

- Case 2: Type-N Nesting
  - Inner block is not correlated and returns a set of tuples
  - Solution: Transform into a symmetric form (via join)

SELECT OrderNo FROM Order
WHERE ProdNo IN
(SELECT ProdNo
FROM Product WHERE Price<100)

SELECT OrderNo
FROM Order O, Product P
WHERE O.ProdNo = P.ProdNo
AND P.Price < 100





# Query Unnesting, cont.

- Case 3: Type-J Nesting
  - Un-nesting of correlated sub-queries w/o aggregation

```
SELECT OrderNo FROM Order O
  WHERE ProdNo IN
   (SELECT ProdNo FROM Project P
    WHERE P.ProjNo = 0.OrderNo
      AND P.Budget > 100,000)
```



**SELECT** OrderNo FROM Order O, Project P WHERE O.ProdNo = P.ProdNo**AND** P.ProjNo = 0.OrderNo **AND** P.Budget > 100,000

[Won Kim: On Optimizing an SQL-like Nested Query. ACM Trans. Database Syst. 1982]

- Case 4: Type-JA Nesting
  - Un-nesting of correlated sub-queries w/ aggregation

```
SELECT OrderNo FROM Order O
 WHERE ProdNo IN
   (SELECT MAX(ProdNo)
     FROM Project P
     WHERE P.ProjNo = 0.OrderNo
       AND P.Budget > 100,000)
```

Further un-nesting via case 3 and 2



SELECT OrderNo FROM Order O WHERE ProdNo IN (SELECT ProdNo FROM (SELECT ProjNo, MAX(ProdNo) FROM Project WHERE Budget > 100.000 **GROUP BY** ProjNo) P WHERE P.ProjNo = 0.OrderNo)





# Selections and Projections

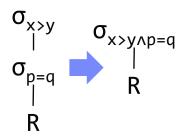
### Example Transformation Rules

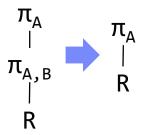
1) Grouping of Selections

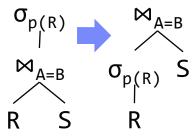
2) Grouping of Projections

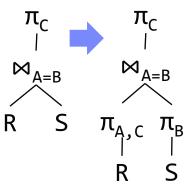
3) Pushdown of Selections

Pushdown of Projections









### Restructuring Algorithm

- #1 Split n-ary joins into binary joins
- #2 Split multi-term selections
- #3 Push-down selections as far as possible
- #4 Group adjacent selections again
- #5 Push-down projections as far as possible

Input: Standardized, simplified, and un-nested query graph

Output: Restructured query graph



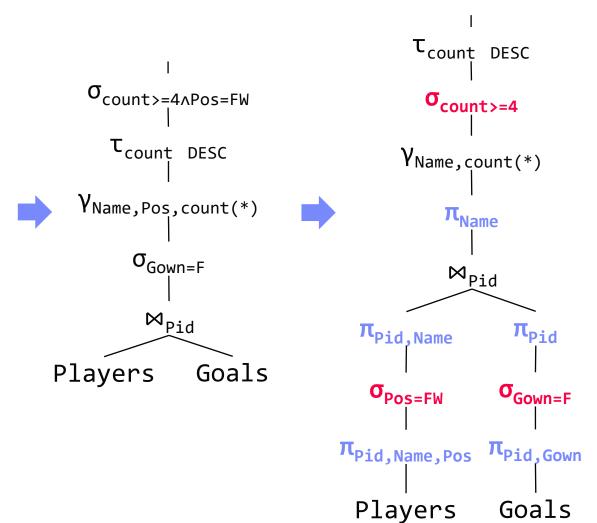


# **Example Query Restructuring**

SELECT \* FROM TopScorer
WHERE count>=4
AND Pos='FW'

CREATE VIEW TopScorer AS
SELECT P.Name, P.Pos, count(\*)
FROM Players P, Goals G
WHERE P.Pid=G.Pid
 AND G.GOwn=FALSE
GROUP BY P.Name, P.Pos
ORDER BY count(\*) DESC

Additional metadata: P.Name is unique





### Plan Optimization Overview

#### Plan Generation

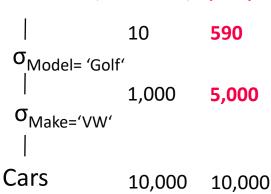
- Selection of physical access path and plan operators
- Selection of execution order of plan operators
- Input: logical query plan → Output: optimal physical query plan
- Costs of query optimization should not exceed yielded improvements

#### Different Cost Models

- Relies on statistics (cardinalities, selectivities via histograms + estimators)
- Operator-specific and general-purpose cost models

$$C_{\rm out}(T) = \begin{cases} 0 & \text{if } T \text{ is a single relation} \\ |T| + C_{\rm out}(T_1) + C_{\rm out}(T_2) & \text{if } T = T_1 \bowtie T_2 \end{cases}$$
 (estimated) (real)

- I/O costs (number of read pages, tuples)
- Computation costs (CPU costs, path lengths)
- Memory (temporary memory requirements)
- Beware assumptions of optimizers
   (no skew, independence, no correlation)





# **Query and Plan Types**

[Guido Moerkotte, Building Query Compilers (Under Construction), **2020**,

http://pi3.informatik.uni-mannheim.de/ ~moer/querycompiler.pdf]

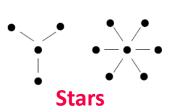


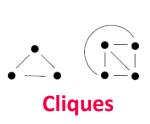
### Query Types

Nodes: Tables

Edges: Join conditions

 Determine hardness of query optimization (w/o cross products)





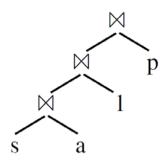
### Join Tree Types / Plan Types

Data flow graph of tables and joins (logical/physical query trees)

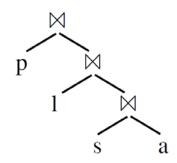
**Chains** 

Edges: data dependencies (fixed execution order: bottom-up)

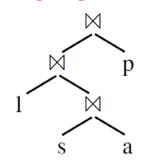
**Left-Deep Tree** 



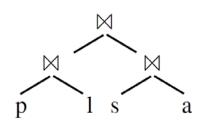
**Right-Deep Tree** 



Zig-Zag Tree



**Bushy Tree** 







# Join Ordering Problem

### Join Ordering

- Given a join query graph, find the optimal join ordering
- In general, NP-hard; but polynomial algorithms exist for special cases

### Search Space

- Dependent on query and plan types
- Note: if we allow cross products similar to cliques (fully connected)

	Chain (no CP)		Star (no CP)		Clique / CP (cross product)			
	left- deep	zig-zag	bushy	left- deep	zig-zag/ bushy	left- deep	zig-zag	bushy
n	2 <sup>n-1</sup>	2 <sup>2n-3</sup>	2 <sup>n-1</sup> C(n-1)	2(n-1)!	2 <sup>n-1</sup> (n-1)!	n!	2 <sup>n-2</sup> n!	n! C(n-1)
5	16	128	224	48	384	120	960	1,680
10	512	~131K	~2.4M	~726K	~186M	~3.6M	~929M	~17.6G

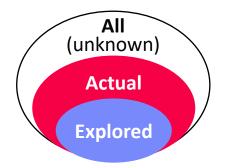
C(n) ... Catalan Numbers



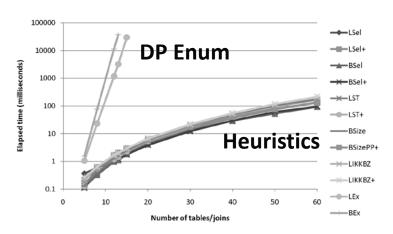


# Join Order Search Strategies

■ Tradeoff: Optimal (or good) plan vs compilation time



- #1 Naïve Full Enumeration
  - Infeasible for reasonably large queries (long tail up to 1000s of joins)
- #2 Exact Dynamic Programming
  - Guarantees optimal plan, often too expensive (beyond 20 relations)
  - Bottom-up vs top-down approaches
- #3 Greedy / Heuristic Algorithms
- #4 Approximate Algorithms
  - E.g., Genetic algorithms, simulated annealing
- Example PostgreSQL
  - Exact optimization (DPSize) if < 12 relations (geqo\_threshold)
  - Genetic algorithm for larger queries
  - Join methods: NLJ, SMJ, HJ



[Nicolas Bruno, César A. Galindo-Legaria, Milind Joshi: Polynomial heuristics for query optimization. **ICDE 2010**]







# **Greedy Join Ordering**

Star Schema Benchmark



### Example

■ Part  $\bowtie$  Lineorder  $\bowtie$  Supplier  $\bowtie$   $\sigma$ (Customer)  $\bowtie$   $\sigma$ (Date), left-deep plans

#	Plan	Costs
1	Lineorder ⋈ Part	30M
	Lineorder ⋈ Supplier	20M
	Lineorder ⋈ σ(Customer)	90K
	Lineorder ⋈ σ(Date)	40K
	Part ⋈ Customer	N/A
		•••

#	Plan	Costs
3	((Lineorder $\bowtie \sigma(Date)$ ) $\bowtie \sigma(Customer)$ ) $\bowtie Part$	120M
	((Lineorder ⋈ σ(Date)) ⋈ σ(Customer)) ⋈ Supplier	105M
4	(((Lineorder ⋈ σ(Date)) ⋈ σ(Customer)) ⋈ Supplier) ⋈ Part	135M

2	(Lineorder $\bowtie \sigma(Date)$ ) $\bowtie$ Part	150K
	(Lineorder $\bowtie \sigma(Date)$ ) $\bowtie$ Supplier	100K
	(Lineorder ⋈ σ(Date)) ⋈ σ(Customer)	<b>75K</b>

Note: Simple O(n²) algorithm for left-deep trees; O(n³) algorithms for bushy trees existing (e.g., GOO)



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# Dynamic Programming Join Ordering

- Exact Enumeration via Dynamic Programming
  - #1: Optimal substructure (Bellman's Principle of Optimality)
  - #2: Overlapping subproblems allow for memoization

{L,P,S}

→ Approach DPSize: Split in independent subproblems (optimal plan per set of quantifiers and interesting properties), solve subproblems, combine solutions

### Example

01+01

Q1+Q2, Q2+Q1

Q3	Plan
{C,D,L}	$(L\bowtie C)\bowtie D$ , $\frac{D\bowtie (L\bowtie C)}{(L\bowtie D)\bowtie C}$ , $\frac{C\bowtie (L\bowtie D)}{(L\bowtie D)}$
{C,L,P}	$\frac{(L\bowtie C)\bowtie P}{P}$ , $P\bowtie(L\bowtie C)$ , $\frac{(P\bowtie L)\bowtie C}{P}$
{C,L,S}	
{D,L,P}	
{D,L,S}	

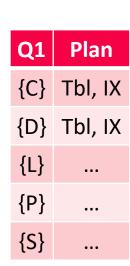
• • •

Q1+Q3, Q2+Q2, Q3+Q1

Q4	Plan
{C,D,L,P}	<del>((L⋈C)⋈D)⋈P,</del> P⋈((L⋈C)⋈D)
{C,D,L,S}	
{C,L,P,S}	
{D,L,P,S}	

Q1+Q4, Q2+Q3, Q3+Q2, Q4+Q1

Q5	Plan
{C,D,L,P,S}	•••



Q1+Q1			
Q2	Plan		
{C,L}	L⋈C, <del>C⋈L</del>		
{D,L}	L⋈D, <del>D⋈L</del>		
{L,P}	<del>L⋈P</del> , P⋈L		
{L,S}	<del>L⋈S</del> , S⋈L		
<del>{C,D}</del>	<del>N/A</del>		
•••			



# **BREAK (and Test Yourself)**

Rewrite the following RA expressions – assuming two relations R(a, b, c) and S(d, e, f) – into equivalent expressions with lower costs. (5 points)

• 
$$\sigma_{h=7}(R \bowtie S)$$

$$\rightarrow \sigma_{h=7}(R) \bowtie S$$

• 
$$(\sigma_{e>3}(S)) \cap (\sigma_{f<7}(S))$$

$$\rightarrow \sigma_{e>3 \text{ h f}<7}(S)$$

• 
$$\pi_{a,b}(R \bowtie_{a=d} S)$$

$$\rightarrow \pi_{a,b}(R) \ltimes_{a=d} S$$

• R U 
$$(\sigma_{d < e, \Lambda, e < f, \Lambda, f < d}(S))$$

$$\rightarrow$$
 R U  $\emptyset \rightarrow$  R

• 
$$\sigma_{b=3}(\gamma_{b,\max(c)}(R))$$

$$\rightarrow \gamma_{3,\max(c)}(\sigma_{b=3}(R))$$





# BREAK (and Test Yourself), cont.

Assume relations R(a,b,c) and S(d,e), and indicate in the table below whether or not the two RA expressions per row are equivalent in bag semantics. For non-equivalent expressions briefly explain why. (5 points)

Expression 1	Expression 2
$\sigma_{c=3}(\sigma_{b=7}(R))$	$\sigma_{c=3}(\sigma_{c=3\vee b=7}(R))$
$R\bowtie_{a=e} S$	$\sigma_{a=e}(R \times S)$
$(\sigma_{b<3}(R)) \cap (\sigma_{b\geq3}(R))$	R
$\pi_{b,d}(R\bowtie_{a=e} S)$	$(\pi_{a,b}(R)) \bowtie_{a=e} (\pi_{d,e}(S))$
$\pi_{a,b}(\sigma_{c=3}(\sigma_{b=7}(R)))$	$\sigma_{b=7}(\pi_{a,b}(\sigma_{c=3}(R)))$

#### **Equivalent?**













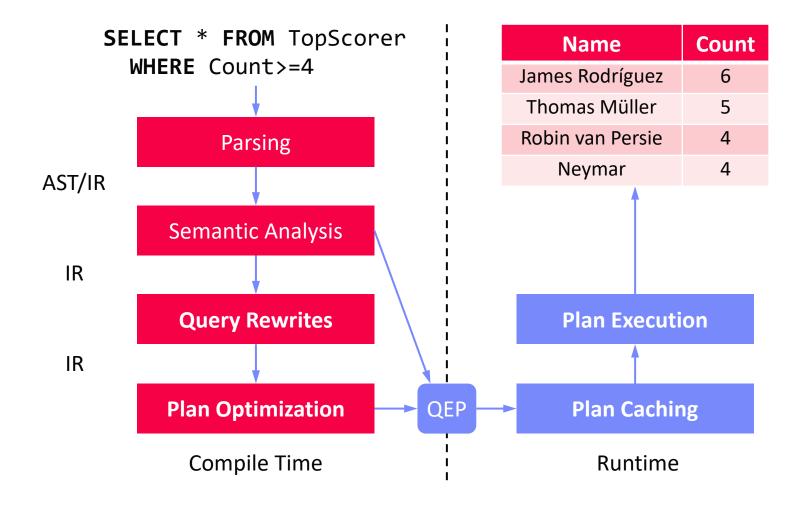


# Plan Execution Strategies





# **Overview Query Processing**







# **Overview Execution Strategies**

- Different execution strategies (processing models) with different pros/cons (e.g., memory requirements, DAGs, efficiency, reuse)
- #1 Iterator Model (mostly row stores)
- #2 Materialized Intermediates (mostly column stores)
- #3 Vectorized (Batched) Execution (row/column stores)
- #4 Query Compilation (row/column stores)

High-level overview, details in ADBS





### **Iterator Model**

### Scalable (small memory)

### **High CPI measures**

- Volcano Iterator Model
  - Pipelined & no global knowledge
  - Open-Next-Close (ONC) interface
  - Query execution from root node (pull-based)
- Example σ<sub>A=7</sub>(R)

```
void open() { R.open(); }
void close() { R.close(); }
Record next() {
  while( (r = R.next()) != EOF )
    if( p(r) ) //A==7
      return r;
  return EOF;
}
```

#### 

[Goetz Graefe: Volcano - An Extensible and Parallel Query Evaluation System.

**IEEE Trans. Knowl. Data Eng. 1994**]

- Blocking Operators
  - Sorting, grouping/aggregation,
     build-phase of (simple) hash joins

```
PostgreSQL: Init(),
GetNext(), ReScan(), MarkPos(),
    RestorePos(), End()
```



### Iterator Model – Predicate Evaluation

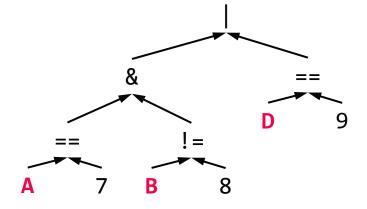
### Operator Predicates

- Examples: arbitrary selection predicates and join conditions
- Operators parameterized with in-memory expression trees/DAGs
- Expression evaluation engine (interpretation)

### Example Selection σ

• 
$$(A = 7 \land B \neq 8) \lor D = 9$$

Α	В	С	D
7	8	Product 1	10
14	8	Product 3	11
7	3	Product 7	7
3	3	Product 2	1







# Materialized Intermediates (column-at-a-time)

```
SELECT count(DISTINCT o_orderkey)
FROM orders, lineitem
WHERE l_orderkey = o_orderkey
AND o_orderdate >= date '1996-07-01'
AND o_orderdate < date '1996-07-01'
+ interval '3' month
AND l_returnflag = 'R';</pre>
```

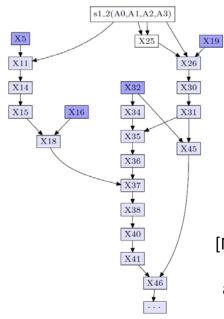
Efficient array operations

DAG processing

Reuse of intermediates

Memory requirements

Unnecessary read/write
from and to memory



```
function user.s1_2(A0:date,A1:date,A2:int,A3:str):void;
 X5 := sql.bind("sys","lineitem","l_returnflag",0);
 X11 := algebra.uselect(X5,A3);
 X14 := algebra.markT(X11,0@0);
 X15 := bat.reverse(X14);
 X16 := sql.bindldxbat("sys","lineitem","l_orderkey_fkey");
 X18 := algebra.join(X15,X16);
 X19 := sql.bind("sys","orders","o_orderdate",0);
 X25 := mtime.addmonths(A1,A2);
 X26 := algebra.select(X19,A0,X25,true,false);
 X30 := algebra.markT(X26,0@0);
 X31 := bat.reverse(X30);
 X32 := sql.bind("sys","orders","o\_orderkey",0);
 X34 := bat.mirror(X32);
 X35 := algebra.join(X31,X34);
                                         Binary
 X36 := bat.reverse(X35);
 X37 := algebra.join(X18,X36);
                                      Association
 X38 := bat.reverse(X37);
                                         Tables
 X40 := algebra.markT(X38,0@0);
 X41 := bat.reverse(X40);
                                   (BATs:=OID/Val)
 X45 := algebra.join(X31,X32);
 X46 := algebra.join(X41,X45);
 X49 := algebra.selectNotNil(X46);
 X50 := bat.reverse(X49);
 X51 := algebra.kunique(X50);
 X52 := bat.reverse(X51);
 X53 := aggr.count(X52);
 sql.exportValue(1,"sys.orders","L1","wrd",32,0,6,X53);
end s1_2:
```

[Milena Ivanova, Martin L. Kersten, Niels J. Nes, Romulo Goncalves: An architecture for recycling intermediates in a column-store. **SIGMOD 2009**]

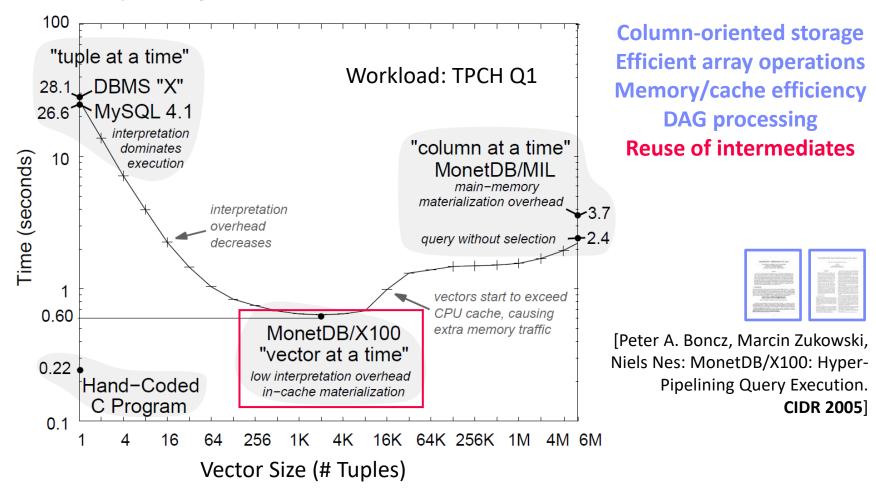






# Vectorized Execution (vector-at-a-time)

Idea: Pipelining of vectors (sub columns) s.t. vectors fit in CPU cache





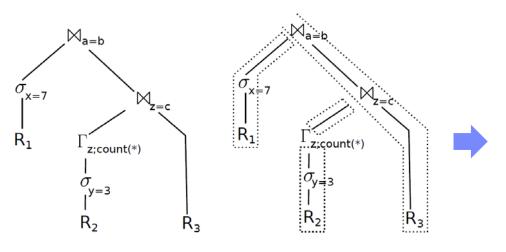


# **Query Compilation**

Idea: Data-centric, not op-centric processing + LLVM code generation

#### **Operator Trees**

(w/o and w/ pipeline boundaries)





[Thomas Neumann: Efficiently Compiling Efficient Query Plans for Modern Hardware. **PVLDB 2011**]

### **Compiled Query**

(conceptual, not LLVM)

initialize memory of  $\bowtie_{a=b}$ ,  $\bowtie_{c=z}$ , and  $\Gamma_z$ for each tuple t in  $R_1$ if t.x = 7materialize t in hash table of  $\bowtie_{a=b}$ for each tuple t in  $R_2$ if t.y = 3aggregate t in hash table of  $\Gamma_z$ for each tuple t in  $\Gamma_z$ materialize t in hash table of  $\bowtie_{z=c}$ for each tuple  $t_3$  in  $t_3$ for each match  $t_2$  in  $\bowtie_{z=c}[t_3.c]$ for each match  $t_3$  in  $\bowtie_{z=c}[t_3.c]$ output  $t_1 \circ t_2 \circ t_3$ 





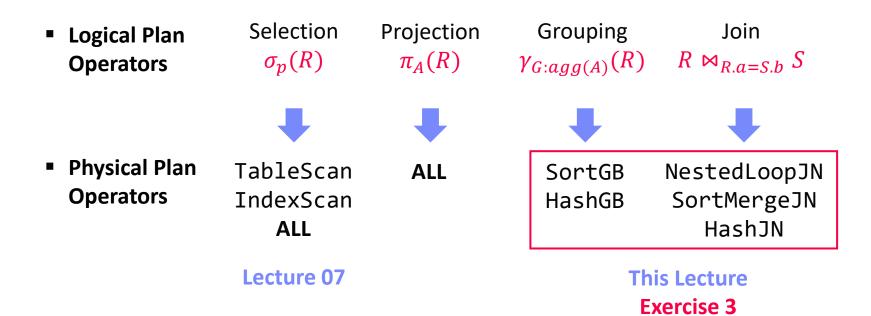
# Physical Plan Operators





# Overview Plan Operators

- Multiple Physical Operators
  - Different physical operators for different data and query characteristics
  - Physical operators can have vastly different costs
- Examples (supported in most DBMS)







### Nested Loop Join

#### Overview

- Most general join operator (no order, no indexes, arbitrary predicates  $\theta$ )
- Poor asymptotic behavior (very slow)
- Algorithm (pseudo code)

```
for each s in S
  for each r in R
  if( r.RID θ s.SID )
    emit concat(r, s)
```

How to implement **next()**?

	Comp	lexity
--	------	--------

- Complexity: Time: O(N \* M), Space: O(1)
- Pick smaller table as inner if it fits entirely in memory (buffer pool)

	 		N =  R  M =  S	
R	RID		SID	S
	9		7	
	1		3	
	7		1	
			9	
			7	



# Block Nested Loop / Index Nested Loop Joins

### Block Nested Loop Join

- Avoid I/O by blocked data access
- Read blocks of b<sub>R</sub> and b<sub>S</sub> R and S pages
- Complexity unchanged but potentially much fewer scans

### Index Nested Loop Join

- Use index to locate qualifying tuples (==, >=, >, <=, <)</li>
- Complexity (for equivalence predicates):
   Time: O(N \* log M), Space: O(1)

```
for each block b<sub>R</sub> in R
  for each block b<sub>S</sub> in S
   for each r in b<sub>R</sub>
    for each s in b<sub>S</sub>
       if( r.RID θ s.SID )
       emit concat(r, s)
```

```
for each r in R
  for each s in S.IX(θ,r.RID)
  emit concat(r,s)
```





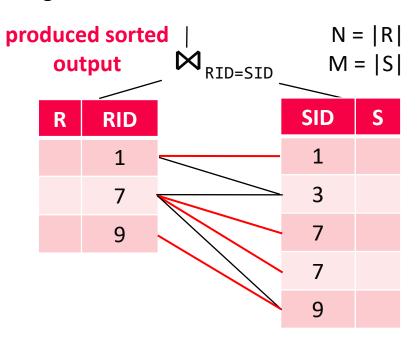


### Sort-Merge Join

#### Overview

- Sort Phase: sort the input tables R and S (w/ external sort algorithm)
- Merge Phase: step-wise merge with lineage scan
- Algorithm (Merge, PK-FK)

```
Record next() {
  while( curR!=EOF && curS!=EOF ) {
    if( curR.RID < curS.SID )
        curR = R.next();
  else if( curR.RID > curS.SID )
        curS = S.next();
  else if( curR.RID == curS.SID ) {
        t = concat(curR, curS);
        curS = S.next(); //FK side
        return t;
    }
    return EOF;
}
```



### Complexity

- Time (unsorted vs sorted): O(N log N + M log M) vs O(N + M)
- Space (unsorted vs sorted): O(N + M) vs O(1)

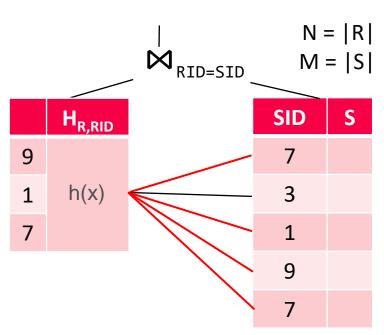


### Hash Join

#### Overview

- **Build Phase:** read table S and build a hash table H<sub>s</sub> over join key
- Probe Phase: read table R and probe H<sub>S</sub> with the join key
- Algorithm (Build+Probe, PK-FK)

```
Record next() {
 // build phase (first call)
 while( (r = R.next()) != EOF )
   Hr.put(r.RID, r);
 // probe phase
 while( (s = S.next()) != EOF )
    if( Hr.containsKey(s.SID) )
      return concat(Hr.get(s.SID), s);
 return EOF;
```



### Complexity

- Time: O(N + M), Space: O(N)
- Classic hashing: p in-memory partitions of Hr w/p scans of R and S



# Sort-GroupBy and Hash-GroupBy

- Recap: Classification of Aggregates (04 Relational Algebra)
  - Additive, semi-additive, additively-computable, others

 $\gamma_{A,count(*)}(R)$ 

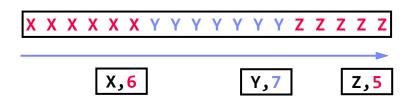
- Sort Group-By
  - Similar to sort-merge join (Sort, GroupAggregate)
  - Sorted group output

sort  $O(N \log N)$ aggregate

O(N)

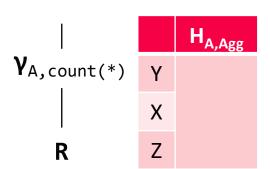
build & agg

O(N)



### Hash Group-By

- Similar to hash join (HashAggregate)
- Higher temporary memory consumption
- Unsorted group output
- #1 w/ tuple grouping
- #2 w/ direct aggregation (e.g., count)
- **Beware:** cache-unfriendly if many groups (size(H) > L2/L3 cache)







### Summary and Q&A

- Query Rewriting and Optimization
- Plan Execution Strategies
- Physical Plan Operators
- Next Lectures
  - 09 Transaction Processing and Concurrency [May 10]
  - 10 NoSQL (key-value, document, graph) [May 31]
  - 11 Distributed Storage and Data Analysis [Jun 07]
  - 12 Data Stream Processing Systems and Q&A [Jun 14]

